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## Insight into single-fiber push-out test of tungsten fiber-reinforced tungsten

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To overcome the intrinsic brittleness of tungsten (W), a tungsten fiber-reinforced tungsten-composite material ( $W_f/W$ ) is a possible solution. The introduction of energy dissipation mechanisms like fiber bridging or fiber pull-out by means of an engineered interface between fiber and matrix mitigate the brittleness of tungsten and lead to a pseudo-ductile material behaviour. The push-out test of single-fiber samples is an experimental method to investigate the properties of the interface between fiber and matrix of composite materials. It is widely used for the investigation of ceramic composites. This method was also used to investigate the debonding and frictional properties of the  $Er_2O_3$  interface region between fiber and matrix of  $W_f/W$  single-fiber samples made by CVD- and HIP-processes. In this article finite element calculations are used to get a better understanding of the processes acting in the interface during a push-out test of  $W_f/W$ . A detailed overview of the debonding progress and the corresponding stress states of the interface during the different stages of the test are presented. In addition the sensitivity of the push-out behaviour regarding the different interface properties and the plastic flow curve of the tungsten fiber are investigated.

**Keywords:** Metal-matrix composites (MMCs), fiber/matrix bond, cohesive interface modelling, finite element analysis (FEA), push-out test, tungsten fibre-reinforced tungsten composites

**1. Introduction**

It is expected that the required properties of materials for fusion power plants are beyond the technical limits of materials that are available today [1]. Tungsten is currently the main candidate material for plasma-facing components of future fusion-reactors. It is very resistant against erosion, has the highest melting point of all metals and shows low hydrogen retention [2, 3, 4]. Besides this bulk tungsten material suffers from inherent brittleness below the ductile-to-brittle transition temperature (DBTT) [5]. Neutron irradiation during operation of the reactor can lead to further embrittlement [6]. This lack of intrinsic toughness can be addressed by introducing extrinsic mechanisms of energy dissipation (extrinsic toughening) [7].

**2. Tungsten fiber-reinforced tungsten ( $W_f/W$ )**

One approach for introducing extrinsic toughening is to reinforce the bulk material with fibers in combination with an engineered interface [8]. This technique is well known from fiber-reinforced ceramic matrix composites (CMC) [9, 10]. If cracks in the matrix occur, fibers in the crack will activate mechanisms of energy dissipation. These mechanisms reduce the stress intensity at the crack tip of the matrix. For the case of a brittle

fiber in a brittle matrix the deformation energy is dissipated by creating new free surfaces due to the fracture of the interface, to the bridging and thus elastic loading of the fiber and friction during pull-out of broken fibers. For the case of reinforcement with fibers with inherent ductility, energy can additionally be dissipated by plastic deformation of the fiber. This is the case for tungsten fibers in an “as-fabricated” condition [11]. Thermal treatment during the production of the composite or through operation conditions of the fusion reactor and additional embrittlement due to neutron irradiation can reduce the ductility of the tungsten fibers [12].

The interface properties have to be in an appropriate range to achieve the desired toughening. If the interface is too strong no interface debonding will occur and fiber rupture without the activation of any mechanisms will be the consequence. A very weak interface leads to low bridging-forces which reduces the mitigation of the stresses at the crack tip [10, 7]. Therefore the identification of the optimal interface properties plays an important role for a successful design of tungsten fiber-tungsten reinforced composite material.

**3. Interface properties of  $W_f/W$** 

The most important properties to characterise the interface between fiber and matrix are:

- shear strength:  $\tau_{max}$

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- critical fracture energy (mode II):  $G_{2C}$
- coefficient of friction after debonding:  $\mu$
- initial interface pressure:  $p_{ini}$

While shear strength, critical fracture energy and coefficient of friction are inherent properties of the interface, the initial interface pressure is a result of the interaction between matrix, interface, fiber and the production process. For multi-material-composites the initial interface pressure can be explained by residual stresses that are induced by different thermal expansions of fiber and matrix during the production process. Fiber-reinforced plastics (FRP) with a matrix made of thermosetting polymers like epoxy resin can show initial interface pressure due to shrinking of the matrix as a result of the chemical cross-link polymerization reaction during the curing of the resin [13]. In [11] it was expected that growth stresses caused by the CVD-process (chemical-vapour-deposition) will be low. Another explanation is based on the assumption that the interface pressure is not initially present but develops as soon as relative sliding between fiber and matrix occurs. It is assumed that it is caused by geometrical irregularities of the fibers [14]. However, the experimentally derived force-displacement curves of push-out tests of Du [14] and Jasper [15] lead to the conclusion that an interface pressure is somehow present during the frictional phase of the experiments after the completion of interface debonding.

The single-fiber push-out test is one of the most popular methods to investigate the interface properties of fiber-reinforced composite materials (Figure 1) [16, 17]. In the push-out test a thin slice of a single-fiber composite is placed onto a holder which contains a circular hole. The diameter of the hole is slightly larger than the one of the fiber to allow the push-through of the fiber. The fiber is then pushed from the top with a micro-indenter until debonding occurs. The push-out test needs little effort for the practical implementation compared to other methods. The pull-out test, for example, which is closer to the situation in a real component where the fibre is pulled out in the crack wake, is much more challenging regarding specimen preparation.

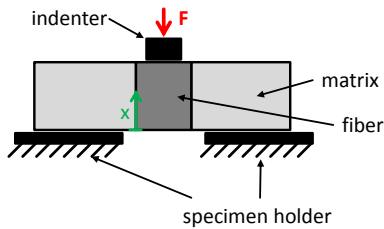


Figure 1: Schematic of the set-up of fiber push-out test.

Analytical approaches are available to extract interface properties from the evaluated force-displacement relationship [18, 19, 17, 16]. Therefore the common way to interpret the experimental results of the push-out tests is to apply these analytical models and to determine the associated parameters by a fitting procedure. These models obtain the required information from

the force levels at the different stages of the tests. The stages of the test are identified by the qualitative shape of the experimental force-displacement curves.

However, these models have some restrictions that do not always reflect the experimental conditions. They include assumptions like purely elastic material behaviour without any plastic deformation of the fiber and the matrix. Furthermore they are not able to capture the influence of all environmental boundary conditions, e.g. the bending of the specimen due to the difference of the diameters of the fiber and the specimen holder is not taken into account. The shear lag model, which is commonly used to describe the push-out force during the frictional phase after the completion of debonding, is only valid for small relative displacements between fiber and matrix [17]. The well established finite element method (FEM) was applied to create a deeper understanding of the mechanisms that are acting during the different phases of a push-out test, accompanying the experimental work of Jasper [15].

#### 4. Stages of a single-fiber push-out test

Figure 2 shows a typical force-displacement curve of a push-out test as discussed by Chandra et al. [20]. The push-out test can be divided into three different stages:

- Stage I: elastic deformation
- Stage II: progress of debonding
- Stage III: frictional sliding

##### 4.1. Stage I: elastic deformation

At the beginning of the test the specimen shows linear-elastic behaviour. The slope is the elastic bending stiffness of the specimen. The stress state of the interface is characterized by the distribution of normal pressure and shear stress. During this stage the interface pressure can be separated into components with different causes (Figure 3). The final stress profile results from the sum of the different components and depends on the elastic and geometrical properties of the specimen and the load applied by the indenter.

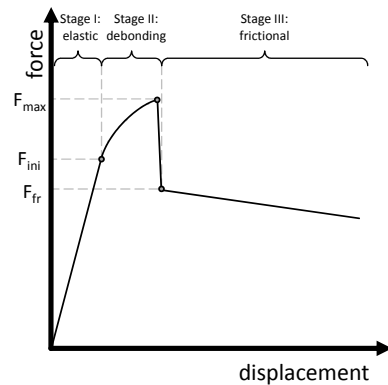


Figure 2: Typical force-displacement curve of a single-fiber push-out test according to Chandra et al. [20].

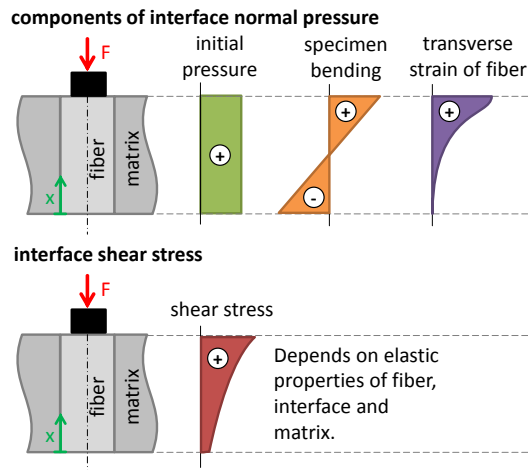


Figure 3: Schematic of the components of the normal interface pressure and the interface shear stress during the elastic phase (no debonding of the interface) of the push-out test.

During the push-out test the specimen is placed on a holder containing a hole with typical diameters of  $200\ \mu\text{m}$ - $400\ \mu\text{m}$  for a fiber diameter of  $150\ \mu\text{m}$ . The difference of the diameters of indenter and the hole in the specimen holder leads to a bending of the specimen and the corresponding normal pressure with compression at the top and tension at the bottom of the specimen. This component increases for thinner specimens and larger hole diameters. The transverse strain of the fiber due to the poisson effect leads to an additional component of the interface pressure. Its maximum value is near the top of the specimen and it decreases with increasing distance to the top. In contrast, the shear stress distribution along the fiber length for the fully bonded case caused by the indenter force depends on the elastic properties of the fiber, interface and matrix and cannot as easily be split into different components as the normal pressure. For the case of a mismatch of the coefficients of thermal expansion between fiber and matrix the existence of an initial shear stress is also possible.

#### 4.2. Stage II: progress of debonding

When the shear stress in the interface reaches its shear strength, debonding is initiated. Now the interface can be divided into a bonded and a debonded zone. Depending on the presence of normal pressure and the coefficient of friction the interface of the debonded zone is still able to transfer forces by frictional shear stresses. As shown in Figure 2 the stiffness of the specimen decreases during this stage.

#### 4.3. Stage III: frictional phase

A load drop is typically observed when the debonding process has finished. At this stage the push-out force depends only on the frictional properties of the interface and the presence of interface normal pressure.

## 5. Set-up of the finite element model

ANSYS® Academic Research Mechanical, Release 17.2 was used for the finite element calculations. Figure 4 shows the finite element model of a push-out test with a specimen thickness of  $300\ \mu\text{m}$ . The model is meshed with 2D-elements with a quadratic displacement behaviour using an axisymmetric formulation (PLANE183). The bottom of the specimen holder is fixed. The displacement is applied as prescribed motion at the top of the indenter. A contact algorithm based on lagrangian multipliers is used for the contacts between indenter and fiber and between matrix and specimen holder to prevent penetration due to contact stiffness. The stiff behaviour of the specimen leads to an inaccurate displacement response during the elastic phase of the push-out test for other contact formulations because contact penetration would not be negligible compared to the indenter displacement. A criterion considering initially bonded contact with debonding is used for the connection between fiber and matrix.

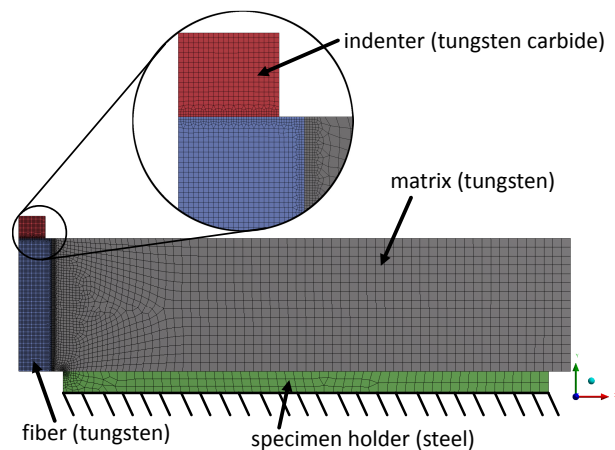


Figure 4: Finite element model of a  $W_t/W$  push-out test with a specimen thickness of  $300\ \mu\text{m}$ .

### 5.1. Material models

For the rather brittle matrix material and for all other parts of the model excluding the fiber, linear-elastic material models are used. The elastic properties of all material models are summarized in Table 1. The material model of the more ductile tungsten fiber considers plasticity with isotropic hardening and a von Mises yield surface. The plastic flow curve (Figure 5) was calculated based on two stress-strain curves of tension tests given in [11].

### 5.2. Interface between fiber and matrix

The interface layer between fiber and matrix is represented by a bonded contact. It is assumed that debonding will be dominated by shear, thus only Mode II debonding is considered and Mode I is neglected. It is modelled by a cohesive zone material model with bilinear traction separation law. Figure 6 shows the relation of tangential slip  $u_t$  between the both sides of the interface and the shear stress  $\tau$  [23].

Table 1: Elastic properties used for the finite element calculations.

Part	Material	Elastic modulus	Poisson's ratio	Source
fiber, matrix	tungsten	398 GPa	0.29	[21]
indenter	tungsten carbide	700 GPa	0.31	[22]
specimen holder	steel	200 GPa	0.3	

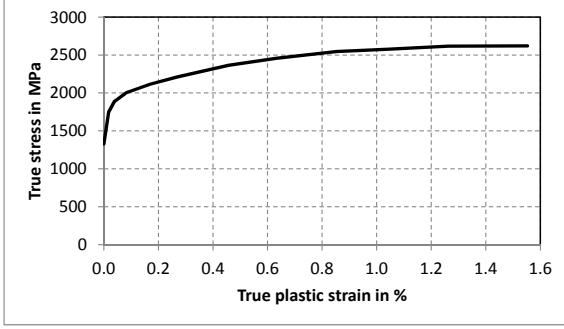


Figure 5: Flow curve determined by single wire tension test.

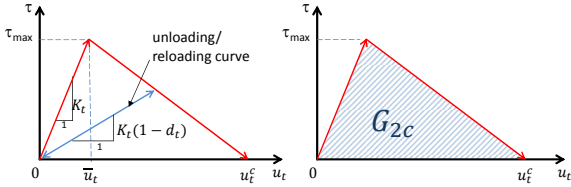


Figure 6: Traction separation behaviour of the applied cohesive zone model for the interface [23].

For shear stresses smaller than the interface shear strength  $\tau_{max}$  the contact shows linear elastic behaviour with the contact stiffness  $K_t$ . When the shear stress reaches the shear strength of the interface ( $\tau = \tau_{max}$ ) damage is initiated. From now on softening of the contact stiffness leads to a linear decrease of the shear stress until it becomes zero at  $u_t^C$  and full debonding occurs. The bonded node is released and the contact behaviour changes to frictional. As can be seen in Figure 6, the energy dissipated by the debonding process  $G_{2C}$  is

$$G_{2C} = \frac{1}{2} \cdot u_t^C \cdot \tau_{max}. \quad (1)$$

Du [14] investigated various single and multi-layer interfaces. A coating of the fiber with erbium oxide with a thickness of 600 nm deposited by magnetron sputtering was one of the most promising candidates. Since no elastic properties determined for thin films of erbium oxide are available, the elastic and shear modulus for bulk material produced by sintering with a porosity of 5% is used as an approximation [24] (Table 2).

Table 2: Elastic properties of  $Er_2O_3$  at room temperature [24].

Elastic modulus	Shear modulus	Poisson's ratio
160 GPa	60 GPa	0.33

For calculating the normal stiffness  $K_n$  of the contact an uniaxial strain state (constrained transverse strain) is assumed, which leads to the equation

$$\sigma_n = \frac{(1 - \nu) \cdot E}{(1 + \nu) \cdot (1 - 2\nu)} \cdot \varepsilon_n \quad (2)$$

for calculating the normal stress  $\sigma_n$  in dependence of the elastic modulus  $E$ , Poisson's ratio  $\nu$  and normal strain  $\varepsilon_n$ . Together with the thickness of the interface layer  $t_{if}$  the normal stiffness can be derived from

$$K_n = \frac{\sigma_n}{\Delta t_{if}} = \frac{\sigma_n}{\varepsilon_n \cdot t_{if}} = \frac{(1 - \nu) \cdot E}{(1 + \nu) \cdot (1 + 2\nu)} \cdot \frac{E}{t_{if}}. \quad (3)$$

The tangential stiffness only depends on the shear modulus  $G$  and the interface thickness  $t_{if}$ :

$$K_t = \frac{G}{t_{if}} \quad (4)$$

## 6. Choice of the interface properties for the calculations

The aim of this work is to investigate the influence of the most important interface properties onto the push-out behaviour of  $W_f/W$ . The first step is to find a set of interface parameters which enables the finite element model to sufficiently describe the push-out experiments of specimen manufactured by CVD with thicknesses of approximately 150  $\mu\text{m}$  and 300  $\mu\text{m}$  ("nominal parameters"). In a second step this set of parameters is used as starting point for further investigations with modified parameters.

Interface properties of a 600 nm thick layer of erbium oxide have been determined by extensive push-out experiments and fitting of analytical models by Du [14]. Based on this work the shear strength of the interface in the finite element calculation had to be increased from 363 MPa to 550 MPa to achieve a similar force-displacement behaviour as observed in the experiments, as it is going to be described in the next section. The parameters from the experimental work of Du as well as the range of parameters that are used for the investigations with the finite element method are summarized in Table 3.

## 7. Simulation of push-out test with nominal parameters

Figure 7 shows that the force-displacement behaviour of the finite element model with nominal interface parameters represents well the experiments with specimen thicknesses of approximately 150  $\mu\text{m}$  and 300  $\mu\text{m}$ . Due to sudden elastic unloading of the test machine after debonding no force data was

Table 3: Properties of the erbium oxide interface determined by Du and of the finite element model.

Parameter	Symbol	Unit	Values			
			J. Du [14]	Simulation		
				min.	nominal	max.
shear strength	$\tau_{max}$	MPa	363	550/1.5	550	$550 \cdot 1.5$
fracture energy (Mode II)	$G_{2C}$	J/m <sup>2</sup>	9.61	10/2	10	$10 \cdot 2$
coefficient of friction	$\mu$	-	0.64	0.64/1.5	0.64	$0.64 \cdot 1.5$
initial normal interface pressure	$p_{ini}$	MPa	272		272	

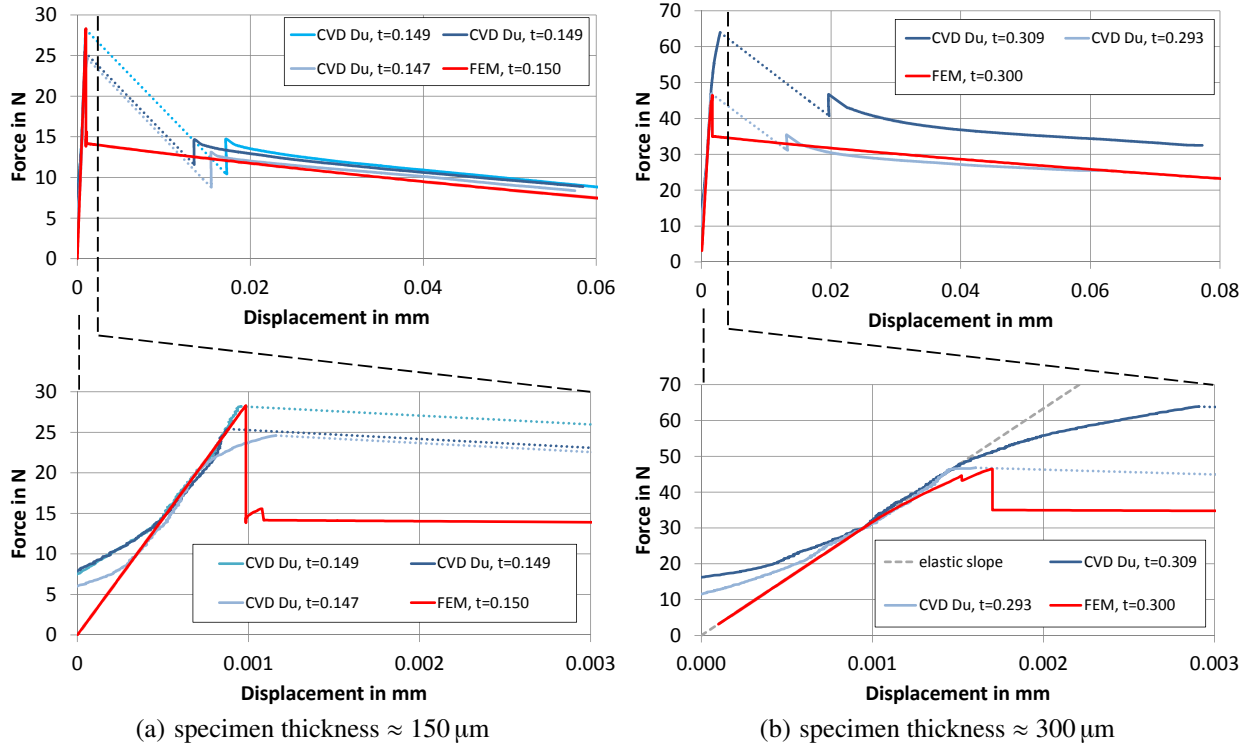


Figure 7: Experimental push-out curves of specimen produced by CVD compared with finite-element calculations with nominal parameters shown in Table 3 (lower graphs: detail views of upper graphs). Due to sudden elastic unloading of the test machine after debonding no force data was recorded for the dotted portions of the experimental curves.

247 recorded for the dotted portions of the experimental curves. De-301  
248 tails on the sample production and experiments can be found in302  
249 [14].

250 As can be seen in Figure 7(a), the experimental curves of two304  
251 of the three samples of 150  $\mu\text{m}$  thick CVD-specimen show a305  
252 sudden force-drop at debonding and do not show any evidence306  
253 for an initiation of debonding before reaching the maximum307  
254 force. One sample (CVD Du,  $t=0.147$ ) shows softening before308  
255 completion of debonding. The maximum forces are between  
256 25 N and 28 N. The maximum force of the finite element cal-309  
257 culation is near the upper bound of the experiments whereas310  
258 the force during the frictional phase of the test is at the lower311  
259 bound.

260 The two specimen with a thickness of 300  $\mu\text{m}$  show signifi-313  
261 cant differences regarding force values and qualitative shape of314  
262 the force-displacement curve (Figure 7(b)). One sample ("CVD315  
263 Du,  $t=0.293$ ") behaves qualitatively comparable with the thin-316  
264 ner 150  $\mu\text{m}$  samples. The other one ("CVD Du,  $t=0.309$ ") re-317  
265 reaches higher forces and behaves differently. Its force displace-318  
266 ment curve shows a distinctive softening for forces higher than319  
267 the maximum force of the sample mentioned before.

268 While experiments allow only an external observation du-321  
269 ring the test, finite element calculations can give a more de-322  
270 tailed view inside the interface, e.g. the stress state and the323  
271 debonding status. Figure 8 shows again the calculated force-324  
272 displacement curves for both specimen thicknesses. The elastic325  
273 stiffness slope in the diagram and the plot of the derivative of326  
274 the force with respect to the indenter displacement  $dF/ds$  help327  
275 to visualize deviations from linear elastic behaviour. The thin-328  
276 ner specimen shows ideally elastic behaviour until a very short329  
277 debonding phase which can only be identified in the derivative330  
278 (Figure 8(a), lower graph) and in the plot of the percentage of331  
279 debonded interface (Figure 8(a), upper graph). In contrast to332  
280 this the thicker specimen shows a more gradual debonding. In333  
281 Figure 8(b) it can be seen clearly that the stiffness of the spe-334  
282 cimen decreases significantly as soon as debonding is initiated  
283 at 1  $\mu\text{m}$  of indenter displacement. In addition, a slight decrease335  
284 of the specimen stiffness can be observed in the derivative at336  
285 0.8  $\mu\text{m}$ , which is caused by minor plastic indentation into the337  
286 fiber and which does not have a significant contribution to the338  
287 total displacement.

288 The stress state of the interface is shown for three stages (not340  
289 debonded, partially debonded, fully debonded), which are mar-341  
290 ked in the force-displacement curves in Figure 8 and for both342  
291 specimen thicknesses in Figures 9 and 10. For stage II (parti-343  
292 ally debonded interface) the debonded regions of the interface344  
293 can be clearly identified by the distribution of the shear stress.  
294 Despite the initial interface pressure of 272 MPa the interface345  
295 shows tensile normal stresses at the bottom of the thinner spe-346  
296 cimen due to bending. The stress distribution of stages I and III347  
297 are quite similar, although the debonded interface at stage III348  
298 is not able to transfer tensile normal stresses. All stages have349  
299 in common that the stress peaks at the top of the specimens are350  
300 more distinct for the thicker samples.

## 8. Influence of the interface parameters on the push-out behaviour

Scaling the interface parameters shear strength ( $\tau_{max}$ ), coefficient of friction ( $\mu$ ), fracture energy of Mode II ( $G_{2C}$ ) as well as the true stress of the plastic flow curve ( $\sigma_{true}$ , see Figure 5) will give a better understanding of how the force-displacement curve, which is the basis for interpreting the experiments, is influenced by them.

### 8.1. Shear strength $\tau_{max}$

The nominal value of the shear strength ( $\tau_{max} = 550$  MPa) is divided/multiplied by the factor 1.5 to investigate its influence. Figure 11 shows the calculated force-displacement curves for the different values of  $\tau_{max}$ . For the thinner specimen the force at debonding initiation and the achieved maximum force show a behaviour proportional to the shear strength. For the thicker specimen this is only the case for the debonding initiation. The dependency of the maximum force is less than proportional.

### 8.2. Coefficient of friction $\mu$

As expected, the coefficient of friction  $\mu$  influences directly the force level during the frictional phase after completion of the debonding. Furthermore it plays an important role during the debonding process itself. Figure 12 shows the calculated force-displacement curves for different coefficients of friction. A small coefficient ( $0.64/1.5 \approx 0.43$ ) leads to a sudden debonding after its initiation while increased friction extends the length of the debonding phase from 0.7  $\mu\text{m}$  to 1.9  $\mu\text{m}$  of indenter displacement for the specimen with 300  $\mu\text{m}$  thickness. The same effect can be noted for the thinner specimen, where it is less distinct. During the debonding process frictional sliding of the debonded portion of the interface is necessary to be able to redistribute the load to areas that are still bonded. Higher coefficients of friction increase the shear loads that can be carried by the debonded areas due to the initial and the additional normal pressure caused by the transverse strain of the fiber.

### 8.3. Fracture energy $G_{2C}$

The influence of the fracture energy of the interface for Mode II-debonding depends strongly on the thickness of the specimen (Figure 13). Even though its value of 10 J/m<sup>2</sup> was multiplied and divided, respectively, with the factor 2, there was no significant influence on the resulting force-displacement curve of the thinner specimen with a thickness of 150  $\mu\text{m}$ . For the thicker specimen increasing the fracture energy leads to an extension whereas decreasing leads to a reduction of the debonding phase with regard to indenter displacement.

### 8.4. Flow curve of the fiber

Besides the flow curve shown in Figure 5 the push-out tests were calculated with different plastic behaviours of the fiber. On the one hand, linear elastic material behaviour without plasticity was assumed as material model and on the other hand the true stress of the flow curve  $\sigma_{true}$  was reduced by the "flow stress reduction factor" 1.2 and 2.0, respectively (Figure 14).



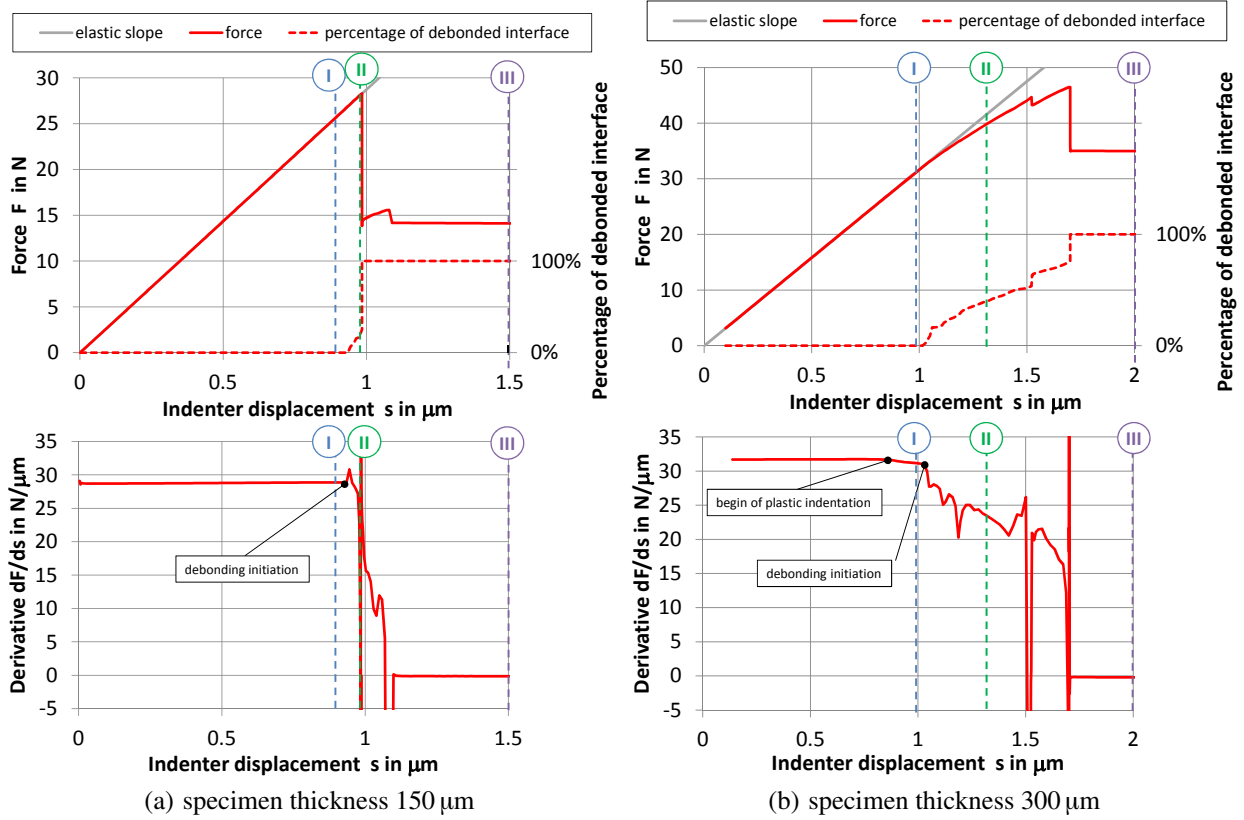


Figure 8: Calculated indenter force, percentage of debonded interface and tangential stiffness of specimen plotted vs. indenter displacement.

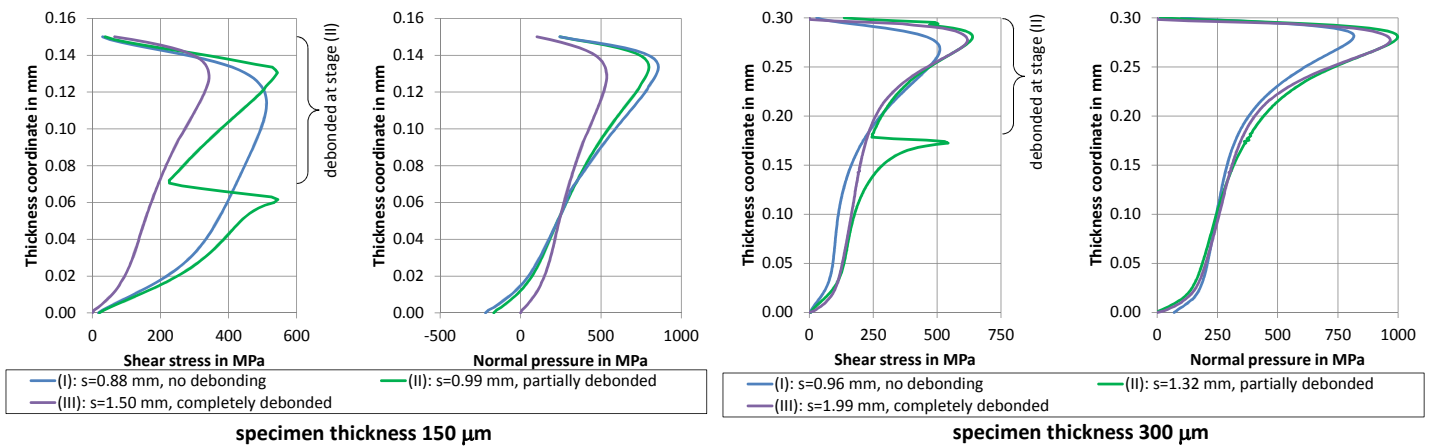


Figure 9: Calculated stress state of the interface (nominal interface parameters, specimen thickness  $150\ \mu\text{m}$ ). The corresponding stages I-III are marked in the force-displacement curve in Figure 8(a).

Figure 10: Calculated stress state of the interface (nominal interface parameters, specimen thickness  $300\ \mu\text{m}$ ). The corresponding stages I-III are marked in the force-displacement curve in Figure 8(b).

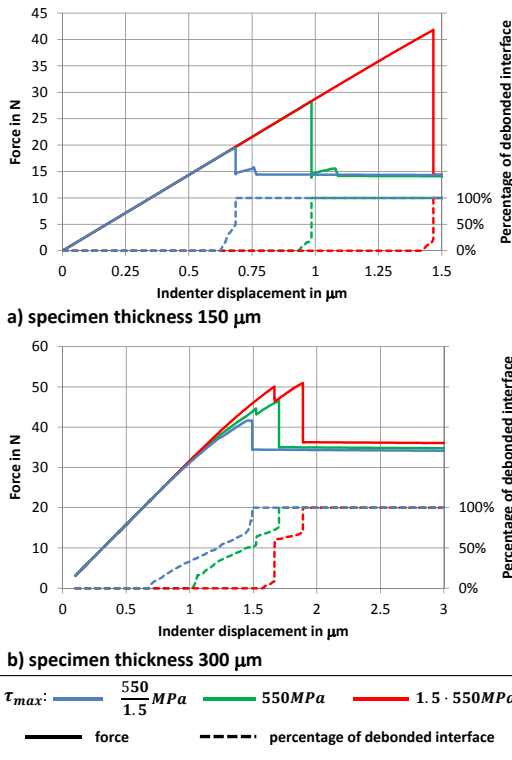


Figure 11: Influence of the shear strength  $\tau_{max}$  on the push-out behaviour for specimen thicknesses of a) 150  $\mu\text{m}$  and b) 300  $\mu\text{m}$ .

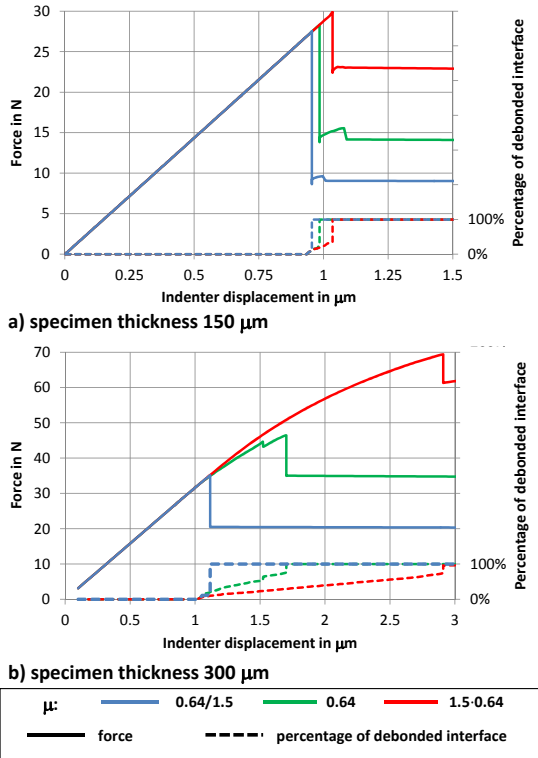


Figure 12: Influence of the coefficient of friction  $\mu$  on the push-out behaviour for specimen thicknesses of a) 150  $\mu\text{m}$  and b) 300  $\mu\text{m}$ .

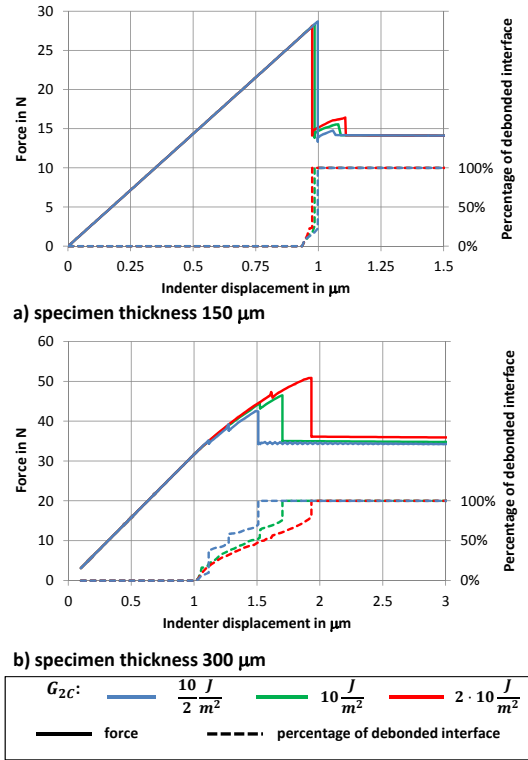


Figure 13: Influence of the fracture energy (Mode II)  $G_{2C}$  on the push-out behaviour for specimen thicknesses of a) 150  $\mu\text{m}$  and b) 300  $\mu\text{m}$ .

362 The plasticity of the fiber can lead to its plastic indentation. Table 4 gives an overview of the depth of the plastic indentations for both specimen thicknesses and all flow curve reduction factors. Due to the lower forces the thinner specimen shows only significant indentation for the calculation with the flow stress reduction factor 2. For this case the indenter displacement at debonding initiation is shifted by  $\approx 0.1 \mu\text{m}$ , the debonding progress is slightly prolonged and the frictional force is marginally increased as shown by the orange lines in Figure 14(a). The sensitivity of the thicker specimen regarding the flow curve is much higher. Even with the nominal flow curve, which shows a small indentation of  $0.11 \mu\text{m}$ , the frictional forces are higher compared to the linear elastic fiber. Force decrease of the flow stress leads to an amplification of this effect. For the flow stress reduction factor of  $x = 2$  the indentation becomes excessive ( $36 \mu\text{m}$ ) and the debonding process needs  $34 \mu\text{m}$  of indenter displacement from the initiation to completion. Also the obtained maximum force is lower (orange lines in Figure 14(b)). It is worth to mention that the debonding of the interface and the forming of the indentation is not finished after the force drop that follows the maximum force at an indenter displacement of  $2.6 \mu\text{m}$ . Figure 15 shows the deformed finite element model at the end of this calculation.

## 375 9. Discussion

376 Based on experimentally derived interface properties a finite  
377 element model of a push-out test of a single fiber composite

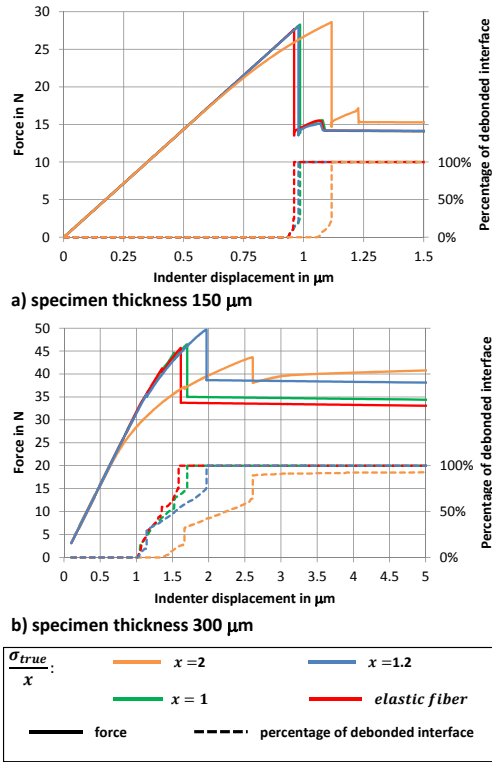


Figure 14: Influence of scaling the true stress of the flow curve of the fiber by the flow stress reduction factor  $x$  on the push-out behaviour for specimen thicknesses of a)  $150\ \mu\text{m}$  and b)  $300\ \mu\text{m}$ .

Table 4: Depth of plastic indentation with different flow curves of the tungsten fiber. The true stress of the nominal flow curve  $\sigma_{true}$  is reduced by the reduction factor  $x$ .

Flow stress reduction factor $x$	Specimen thickness	
	$150\ \mu\text{m}$	$300\ \mu\text{m}$
1 (nominal)	$0.00\ \mu\text{m}$	$0.11\ \mu\text{m}$
1.2	$0.02\ \mu\text{m}$	$0.37\ \mu\text{m}$
2	$0.24\ \mu\text{m}$	$36.0\ \mu\text{m}$

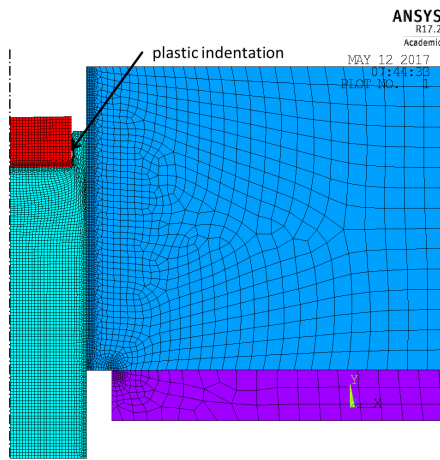


Figure 15: Deformation of the calculated push-out test with large plastic indentation (specimen thickness:  $300\ \mu\text{m}$ , flow stress reduction factor  $x=1/2$ , see section 8.4).

378 has been set up. It is able to appropriately capture the experi-  
 379 mental force-displacement behaviour during the push-out test  
 380 of tungsten fiber-reinforced tungsten ( $W_f/W$ ) with an interface  
 381 of erbium oxide with a thickness of  $600\ \text{nm}$ , a fiber diameter  
 382 of  $150\ \mu\text{m}$  and a tungsten matrix produced by chemical-vapour-  
 383 deposition (CVD). This confirms that these parameters, which  
 384 originate from the work of Du [14], are within a reasonable  
 385 range and that the finite element model is able to capture the  
 386 most important physical effects that are acting during the push-  
 387 out test. The interface shear strength  $\tau_{max}$  was the only param-  
 388 eter that was significantly modified for the calculation model.  
 389 Its value was increased from  $363\ \text{MPa}$  to  $550\ \text{MPa}$  to achieve a  
 390 proper value for the maximum forces. The shear strength can be  
 391 interpreted as an effective shear strength which leads to a con-  
 392 sistent behaviour between simulation model and experiments  
 393 for the investigated set up. While the existence and source of  
 394 initial interface pressure in  $W_f/W$  produced by CVD is not cla-  
 395 rified yet, considering the analytically derived values of Du in  
 396 the finite element calculations leads to realistic results.

397 The calculations show that friction not only plays an impor-  
 398 tant role during the purely frictional part of the experiment after  
 399 completion of debonding. It also influences strongly the pro-  
 400 gress of debonding due to the presence of normal interface pres-  
 401 sure and its amplification due to the elastic transverse strain of  
 402 the fiber. This is particularly the case for thicker specimens,  
 403 which contain more interface area and therefore can transmit  
 404 higher loads by friction.

405 As soon as small plastic indentations occur the results are in-  
 406 fluenced by a changed frictional behaviour. This is particularly  
 407 the case for thicker specimens which need higher forces for the  
 408 push-out. The additional plastic transverse strain is irreversible  
 409 and even remains after the reduction of the indenter load after  
 410 debonding. The investigation of the same set of parameters with  
 411 differently scaled flow curves compared to a fiber with linear-  
 412 elastic behaviour showed that the debonding progress is also  
 413 influenced. A plastic softening of the fiber material comes al-  
 414 ong with an extension of the debonding phase. In the physical  
 415 experiment the initiation of debonding cannot be detected on  
 416 the basis of the beginning of the nonlinear force-displacement  
 417 behaviour if plastic indentations are present. Plastic indentati-  
 418 ons cause higher forces in the frictional phase of the experiment  
 419 which can lead to misinterpretations if this is not taken into ac-  
 420 count properly. Therefore it must be recommended not to calcu-  
 421 late interface parameters with the help of analytical models  
 422 based on push-out tests that exhibit plastic indentations. This  
 423 makes it also difficult to investigate  $W_f/W$  with push-out tests  
 424 if the fiber is softened due to the preparation history or heat treat-  
 425 ment. This phenomenon can be observed for thicker samples  
 426 produced by HIP (hot isostatic pressing). Figure 16 shows a  
 427 cross section polish of a pushed HIP-sample with a thickness  
 428 of approximately  $300\ \mu\text{m}$ . With a maximum force of  $55\ \text{N}$  the  
 429 indenter created a plastic indentation with a depth of approxi-  
 430 mately  $70\ \mu\text{m}$ . As can be seen in Figure 17 the shape of the non-  
 431 linear portion of the force displacement curve before reaching  
 432 the maximum force corresponds well to the calculation with a  
 433 flow stress reduction factor of 2 (see Section 8.4), whereas the  
 434 maximum force and the indentation depth of the calculation are

435 lower.

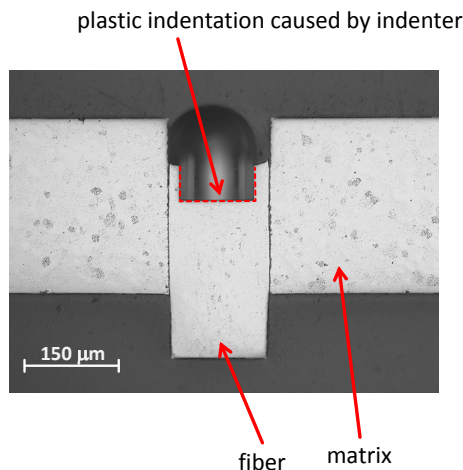


Figure 16: Cross-section polish of HIP specimen with a thickness of  $\approx 300 \mu\text{m}$  after the push-out test.

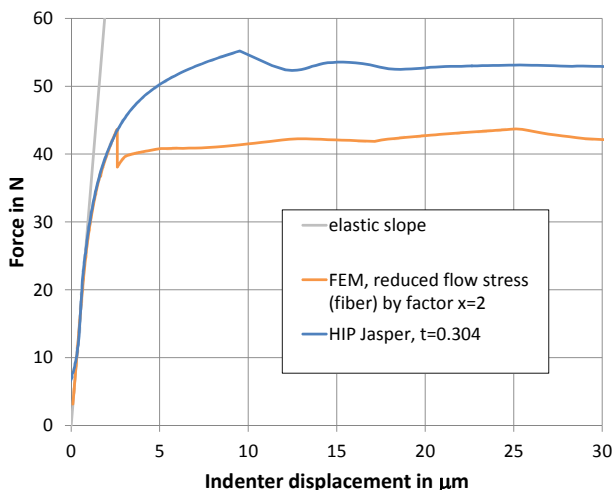


Figure 17: Force-displacement curve of HIP-sample shown in Figure 16 compared to the finite element calculation with flow curve reduction factor of 2 as described in Section 8.4.

436 Thin specimens show a very abrupt debonding behaviour  
437 which simplifies the identification of debonding initiation - it  
438 approximately appears at the maximum force. Furthermore  
439 the influence of the fracture energy of Mode II on the force-  
440 displacement curve is negligible. Due to the lower forces need-  
441 ed for the initiation of debonding plastic indentations are not  
442 an issue. Nevertheless care has to be taken when interpreting  
443 the results of thin specimen. The bending of the specimen that  
444 is lying on the holder can lead to normal tensile stresses which  
445 can initiate debonding under Mode I at the bottom of the speci-  
446 men. Debonding under Mode I was not considered in the calcula-  
447 tion model because properties of the interface for Mode I  
448 (strength, fracture energy) were not available. It is hard to es-  
449 timate how debonding initiation at the bottom of a specimen  
450 would influence the results. Therefore it is recommended to  
451 keep the hole diameter of the specimen holder as small as possi-  
452 ble.

## 453 10. Outlook

454 The frictional stage of the force displacement curve of  $W_f/W$   
455 strongly suggests the existence of initial normal interface pres-  
456 sure between fiber and matrix. Nevertheless the existence of  
457 residual stresses of  $W_f/W$  produced by CVD could neither be  
458 explained nor be verified satisfactorily. To clarify the pre-  
459 sence of residual stresses in  $W_f/W$  originating from different  
460 production routes measurements with synchrotron tomography  
461 have been performed at the European Synchrotron Radiation  
462 Facility (ESRF) in Grenoble.

463 Push-out tests with  $W_f/W$  are underlying limitations regard-  
464 ing the thickness of the specimen. The results of thin specimen  
465 might be influenced by strong bending and thus tensile inter-  
466 face stresses in normal direction at the bottom of the specimen.  
467 On the other hand thick specimens need higher forces for the  
468 push-out which can lead to plastic indentations that make the  
469 interpretation of the experiment hardly impossible. In contrast  
470 to the push-out test the pull-out test is closer to the situation that  
471 is present if a crack is bridged by fibers. Therefore activities to  
472 investigate  $W_f/W$  by means of pull-out tests have been initiated.

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479 sion.

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