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** See annex of J. Pamela et al, "Overview of Recent JET Results and Future Perspectives", Fusion Energy 2000 (Proc. 18th Int. Conf. Sorrento, 2000), IAEA, Vienna (2001).*

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ABSTRACT

It is shown statistically that, divertor closure, plasma shaping and density peaking improve the energy confinement of ELMy H-modes, whilst the confinement degrades as the Greenwald density limit is approached. A prediction of the influence of these effects on the next step device ITER is given.

1. INTRODUCTION

During the last seven years an extensive confinement database has been assembled on JET of steady state ELMy H-mode plasmas. The database was started under the JET Joint Undertaking and has been continued under EFDA with the addition of a further 200 pulses. In this paper the database is used to assess the effect of three parameters upon the energy confinement, these are the plasma shaping, the proximity of the density to the Greenwald density limit and the peaking of the density profile. There is clear evidence from single parameter scans that these three variables do influence the confinement, however the present scaling expression, used to predict the performance of ITER, namely $IPB98(y,2)^{(1)}$, does not contain these variables.

In the remainder of this paper, we first in Section 2a analyse the full ELMy H-mode database and determine the scaling of the confinement with the plasma shaping and the vicinity to the Greenwald limit, then in Section 2b a reduced database, which contains pulses with reliable density peaking measurements, is analysed, to assess the effect on energy confinement of density peaking. Finally in Section 3a prediction of these effects in the next step device ITER is given.

2. ANALYSIS OF STEADY STATE DATABASE

2.1 FULL DATABASE

The steady state ELMy H-mode database contains some 1248 pulses and includes a wide range of current ($1 < I < 4.5 \text{MA}$), toroidal field ($1 < B < 3.8 \text{T}$), and isotopes H, D, D-T, T. Recently a substantial quantity of high density data has been obtained close to the Greenwald limit ($n_{GR} = I/\pi a^2$), such that the present database now contains pulses with $0.2 < n/n_{GR} < 1.2$, where n is the central line average density. The higher densities being obtained by employing sophisticated gas fuelling and power control techniques^{(2) (6)}. There are no pulses in which pellets are injected or pulses with internal transport barriers, ITB's. There are both Type I and Type III ELMs and a wide range of configurations with upper triangularity δ_u ranging from $0 < \delta_u < 0.7$, and the lower triangularity $0.2 < \delta_L < 0.5$ and three divertor types Mark I, Mark II and the gas box MarkGB. The most closed divertor of the three is the gas box, both the Mark I and II being open divertors.

The data is compared with the $IPB98(y,2)$ scaling, which has the form

$$\tau_{\epsilon 98} = 0.0562 I^{0.93} B^{0.15} n^{0.41} P^{-0.69} M^{0.19} R^{1.97} \epsilon^{0.58} \kappa_a^{0.78} \quad (1)$$

in Fig. 1a. Here $H_{98} (\equiv \tau_e/\tau_{e_{98}})$ is shown versus the density divided by the Greenwald density.

The data has been grouped by plasma current and one can see that in the present dataset only the lower current data $I < 2.5\text{MA}$ achieves a density above the Greenwald limit. The reason for the absence of the high current data with $n > n_{GR}$ is thought to be due to the lack of available input power, rather than a fundamental limit⁽⁷⁾. The argument being that to achieve high densities it is essential to have Type I ELMs and to maintain these ELMs the input power has to exceed the threshold power by at least a factor of 2. The H_{98} factor for the full JET data set, Type I and III ELMs, is 0.92, for Type I ELMs only, $H_{98} = 0.95$ and for Type III ELMs only $H_{98} = 0.87$. There are marginally more Type I ELM pulses (672) than Type III ELM pulses (576) in the database.

We first examine whether there is any dependence of the energy confinement on the divertor type, by calculating the dependence of the residuals with respect to the IPB98(y,2) scaling upon the divertor type. For this particular assessment we restrict the datasets to the region where there is a substantial overlap in the data from the three divertors, this is the region $0.2 < d < 0.4$, $0.2 < n/n_{GR} < 1.0$ and Type I ELMs only. The Mark I and Mark II divertors are found to have the same average residual (H factor) with respect to the IPB98(y,2) scaling, however the gas box is found to have an 8% higher H_{98} factor, as is shown in Fig. 1b. This difference is also seen in all data subsets, such as $0.4 < n/n_{GR} < 0.8$, and hence is not due to the choice of dataset. The reason for the apparent improved confinement in the gas box though is not understood. Previous experiments in ASDEX with a closed divertor also gave rise to improved confinement, so it is not the first time this effect has been observed. Experiments will be completed in 2002 with the Septum removed, which gives a more open divertor, and it will be interesting to see whether the confinement of these plasmas is then degraded over that of the gas box. Anyway in all future analysis this difference in the divertor type is allowed for by introducing a factor $(1 + 0.08 \text{ div})$ into the IPB98(y,2) scaling expression where $\text{div} = 0$ for Mark I and Mark II and $\text{div} = 1$ for the gas box data.

Turning to the dependence of the residuals or H factor on shaping and the vicinity to the Greenwald limit we find that the H factor increases with triangularity and degrades as the Greenwald limit is approached. The form is

$$H(\equiv \tau_e/\tau'_{e_{98}}) = 0.95 \pm 0.016 + (0.37 \pm 0.062)\delta - (0.25 \pm 0.022) n/n_{GR} \quad (2)$$

where $\tau'_{e_{98}}$ is Eq. (1) multiplied by the divertor factor $(1 + 0.08 \text{ div})$.

Although the RMSE of this fit (13.32%) is smaller than that (13.95%) in the absence of the triangularity and Greenwald terms, the reduction is not very large.

There are several other possible combinations of δ and κ that could be used to describe the plasma shape and one that gives a significantly reduced RMSE is the parameter $q_f (\equiv q_{95}/q_{cyl})$ where $q_{cyl} = 5a^2 \kappa_a B/RI$ used by Kardaun et al.⁽⁸⁾ in the study of pedestal behaviour. Replacing δ with $\ln q_f$ and refitting the residuals gives

$$H = (0.56 \pm 0.027) + (1.47 \pm 0.08) \ln q_f - (0.25 \pm 0.02) n/n_{GR} \quad (3)$$

with a RMSE = 11.97%. One should also note that the coefficient of $\ln q_f$ is eighteen standard errors whilst the coefficient of δ is only six standard errors. Hence it appears that q_f is a more useful parameter in describing the dependence of confinement on shape than triangularity, and we shall use this parameter in the remainder of the paper. This may be a consequence of the fact that q_f is closely related to the shear in the edge region which is stabilising for the MHD modes which generate the ELMs..

2.2 REDUCED DATABASE

To investigate the role of density peaking on confinement we have to extract a subset from the above dataset for which accurate values of the pedestal density are available. The pedestal density is obtained from the outer interferometer vertical line integral. Only pulses in which the top of the pedestal is intersected by the interferometer line of sight are retained, and furthermore only those in which the line average has been flagged as being of good quality are selected. We also restrict the dataset to Type I ELMs only, to avoid those pulses close to the L to H transition. The above selection reduces the dataset to 436 pulses from the original 1248 pulses. The main reduction coming from the requirement to obtain an accurate line average density in the edge region. An example of a pulse in which the above criteria are satisfied is shown in Figs. 2 and 3. This particular pulse is a 1.6MA, 1.7T ELMy H-mode pulse with a low gas input. From Fig. 2 and 3 one can see that as time evolves the density profile slowly peaks whilst the edge density stays fairly constant. The line average density exceeds the Greenwald limit in the latter part of the pulse, with the H_{98} factor remaining approximately constant.

We first examine the database for correlations between density and shaping. In Fig. 4 the density normalised to Greenwald density is shown versus the shaping factor q_f , with the data again grouped by current. From this figure it can be seen that there is only a weak correlation between the density and shaping in the 3MA dataset, for the 1 and 2MA dataset there is no correlation. This is due to the fact that fairly high densities can be obtained even in low triangularity plasmas by carefully tuning the gas fuelling or by the injection of impurities to increase the edge radiation and reduce the deleterious effect of the ELMs. These type of experiments have yet to be repeated at higher currents.

Fitting the residuals of the H factor as in section (2a) with respect to the shaping factor q_f , the Greenwald fraction n/n_{GR} and the density profile peaking n/n_{ped} , where n is the line average through the plasma centre and n_{ped} is the line average in the edge region gives,

$$H_{fit} = 0.46 + 1.35 \ln q_f - 0.17 n/n_{GR} + 0.38 \left(\frac{n}{n_{ped}} - 1 \right) \quad (4)$$

with an RMSE of 9.6%. The fit is shown in Fig. 5. This should be compared with an RMSE = 10.4% in the absence of the peaking term. Thus from Eq. (4) we see that density peaking improves the confinement, the effect however is not very large, compared to the shaping term. For example for

a typical value of $n/n_{ped} \sim 1.3$ in JET we see that the peaking would contribute 0.11 to the H factor whilst for a typical value of 0.4 for $1n q_f$ the contribution to H would be 0.55. Hence the shaping is clearly the most dominant term.

Another interesting observation comparing Figs. 1a and 5 is that the degradation of the 4MA data with n/n_{GR} seen in Fig. 1a has been removed in Fig. 5, indicating that it is the low value of q_f , i.e. weak shaping and the flat density profile of the high current data that is responsible for the degradation w.r.t to the IPB98(y,2) scaling. It is the intention to go to higher currents in strongly shaped plasmas in the experimental campaigns in 2003.

3. ITER PREDICTIONS AND CONCLUSIONS

Using equations (3) and (4) one can make a prediction for the H_{98} factor in ITER. If we assume that in ITER $q_f = 1.58$, the operational density is $n/n_{GR} = 0.85$, and there is no peaking, then the H_{98} factors from equations (3) and (4) are respectively $H_{98} = 1.02$ and 0.94. With a modest peaking factor $n/n_{ped} = 1.3$ Eq. (4) gives an improved H_{98} factor of 1.05. For a closed divertor these factors may be increased by a further 8%.

In summary we have shown that the plasma shaping is best described by the factor $q_f (\equiv q_{95}/q_{cyl})$ rather than the triangularity. Increasing the shaping factor q_f improves the energy confinement. The confinement degrades as the Greenwald density limit is approached, but improves with density peaking. The most dominant effect is the shaping and this should certainly be included in future fits to the multimachine database and in predictions of the performance of next step devices.

ACKNOWLEDGEMENT

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REFERENCES

- 1) ITER Physics Basis, Nucl. Fusion 39 (1999) 2204.
- 2) Lomas, P., et al., Plasma Physics. Contr. Fusion 42 (2000) B115
- 3) Maggi, C. Proceedings of 28th European Physical Society (EPS) conference on Controlled Fusion and Plasma Physics, June 2001, Madeira, Portugal.
- 4) Saibene, G., et al, Nucl. Fus. Vol. 39.
- 5) Saibene, G., et al., Ibid, EPS 2001, Madeira, Portugal
- 6) Valovic, M., et al., Ibid, EPS 2001, Madeira, Portugal
- 7) Sartori, R., et al, Ibid, EPS 2001, Madeira, Portugal
- 8) Kardaun, O., et al., IAEA Fusion Energy Conference, Sorrento, Italy, 2000.

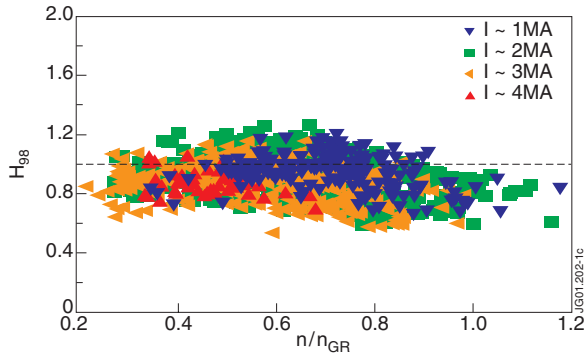


Fig. 1a. H_{98} ($\equiv \tau_e / \tau_{e98}$) versus n/n_{GR} , the data are grouped by current I in MA $0.5 < I < 1.5$, $1.5 < I < 2.5$, $2.5 < I < 3.5$ and $I > 3.5$.

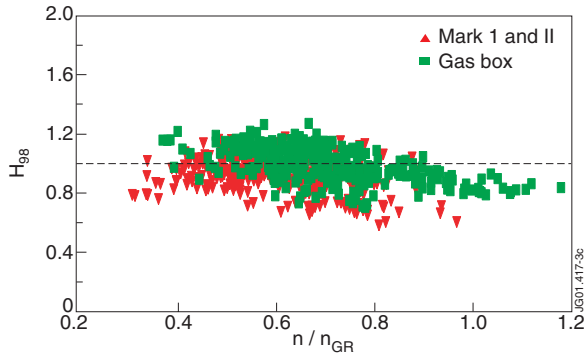


Fig. 1b. H_{98} versus n/n_{GR} , the data are grouped by divertor Type. Note only the Type I dataset are shown

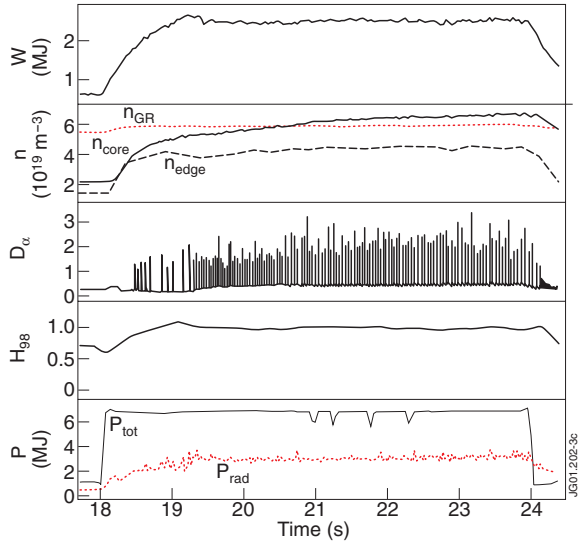


Fig. 2. The time evolution of a typical pulse 48276; the traces are (1) the stored energy (2) the core line average density, the edge line average density ($R = 3.78$) and the Greenwald density (3) the D_α emission (4) the H_{98} ratio (5) the total power input and the radiated power.

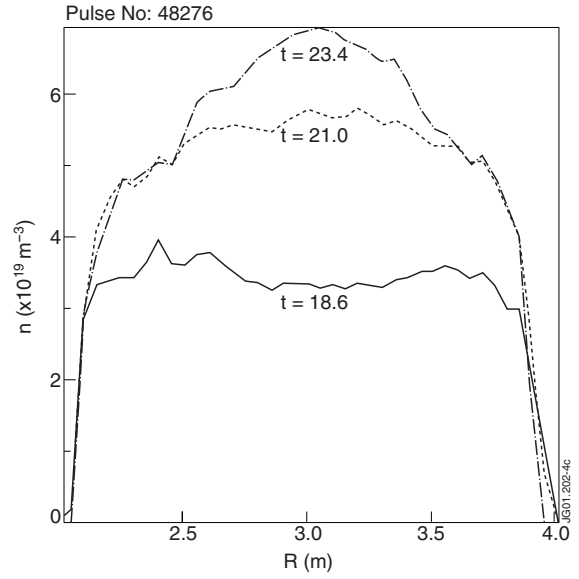


Fig. 3. The electron density profile at three times.

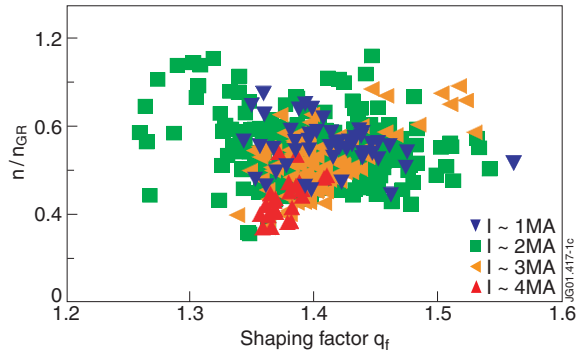


Fig. 4. n/n_{GR} versus the shaping factor q , current grouping as in Fig. 1.

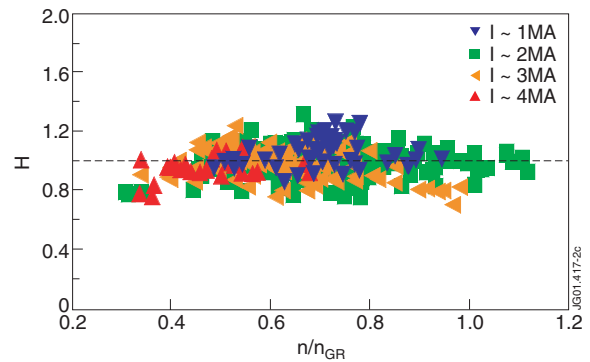


Fig. 5. H ($\equiv \tau_e / H_{fit} \tau_{98}$) versus n/n_{GR} , where H_{fit} is given by Eq. (4).