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*\* See the appendix of JET EFDA contributors (prepared by J. Pamela and E.R Solano),*

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## ABSTRACT

Impurity behaviour in scenarios with internal transport barrier is of special concern since neo-classical convection might cause strong inwardly directed drift velocities which are not suppressed by anomalous diffusion or MHD phenomena (sawteeth, fishbones etc.). The behaviour of metallic impurities in JET-discharges with an internal transport barrier (ITB) will be described in this paper.

## 1. ANALYSIS METHOD

Two soft X-ray (SXR) cameras with 250 $\mu$ m thick Be filters (detection efficiency >0.1 for photons in the energy range 2.3-15keV) served as the main diagnostic tool. The SXR cameras cover the plasma cross section with 35 vertical and 17 horizontal lines-of-sight and time averaged data with a time resolution of 1ms were used. The measured radiation fluxes along the line-of-sights were unfolded by assuming constant emissivity on flux surfaces. The local emissivity  $\epsilon_{sxr}$  was calculated by fitting  $\epsilon_{sxr} = \exp [f(\rho_{pol})]$  to the measured radiation fluxes where  $f(\rho_{pol})$  is a cubic spline and  $\rho_{pol}$  is the poloidal flux label. Poloidal variations of  $\epsilon_{sxr}$  due to toroidal rotation of the plasma were not investigated since the position of the magnetic axis is not known with sufficient precision. The SXR emission was analysed to gain information about the impurity composition. The dependence of  $\epsilon_{sxr}$  on the impurity density  $n_I$  and the electron density  $n_e$  can be written as

$$\epsilon_{sxr} = \frac{n_e^2}{Z_D} L_D^{sxr} + n_e \sum_I n_I \left( L_I^{sxr} - \frac{Z_I}{Z_D} L_D^{sxr} \right). \quad (1)$$

The first term gives the radiation for zero dilution while the second term contains the radiation caused by each impurity I including the dilution of the main ion D. For the plasma core, the mean charge Z and the total soft X-ray power coefficients  $L^{sxr}$  (including the detection efficiency of the setup) of each element can be calculated using corona ionization equilibrium and thus are mainly functions of the electron temperature  $T_e$ . The relevant atomic data were taken from the ADAS database [1], while the detection efficiency was calculated from the tabulated coefficients of Henke [2]. Figure 1 gives an example for the unfolding procedure for Pulse No: 53521. The high level of  $\epsilon_{sxr}$  in the plasma centre can not be explained by low-Z impurities (Be, C and Ne) which mainly cause bremsstrahlung in the core. The strong emission must be due to the line radiation of metallic elements and Ni is assumed to be the predominant metallic impurity. The radiation from low-Z elements is calculated by taking the impurity densities of C and Ne (for discharges with Ne puffing) from CXRS and by increasing the C emission by 50% as an estimate for the contribution from other low-Z elements Be, N and F. Ni densities were calculated from the remaining difference  $\Delta\epsilon_{sxr} = \epsilon_{sxr} - \epsilon_{sxr, lowZ}$ . The calculation of Ni densities from  $\Delta\epsilon_{sxr}$  could be checked by analysis of a discharge with Ni laser ablation. The laser ablation (LBO) caused only a negligible change of  $n_e$  and  $T_e$  and the SXR emission of Ni could be gained by taking the difference of  $\epsilon_{sxr}$  after the LBO to before the LBO. About 20% of the ablated Ni particles could be found in the volume within  $\rho_{pol} = 0.75$  which is in agreement with the expected penetration of Ni.

## 2. ITB DISCHARGES WITH HIGH PERFORMANCE

Figure 2 gives the evolution of the impurity densities in the reversed shear Pulse No: 51976 with a high performance ITB of 1 s duration. The toroidal field is  $B_T = 3.4\text{T}$  and during the high power phase of the discharge, the rising plasma current has an average value of  $I_p = 2.2\text{MA}$ . The application of Lower Hybrid Current Drive(LHCD) during the current ramp phase results in a reversed shear current profile at the time of the application of the main heating power. During the high power phase ( $t > 5\text{s}$ ) the plasma is constantly heated with 17MW of NBI and 4MW of RF. A strong barrier in  $T_i$ ,  $T_e$  and  $n_e$  forms at  $t \approx 5.9\text{s}$  [3]. The total neutron rate reaches a maximum value of  $4.1 \times 10^{16} \text{s}^{-1}$ . A constant Ne puff is applied for  $t > 4\text{s}$ . The profile evolution of  $T_i$ ,  $n_e$  and the densities of C, Ne and Ni is shown for four time slices. Before the formation of the strong barrier, at  $t = 5.8\text{s}$ ,  $T_i$  shows an almost constant gradient length, and the impurity density profile is hollow or mildly peaked. At  $t = 6.2\text{s}$ , the normalized  $T_i$  gradient is increased at a mid plane radius of  $R \approx 3.5\text{m}$ . The radius with the increased normalized  $T_i$  gradient shifts towards larger radii for the following time slices at  $t = 6.6\text{s}$  and  $t = 6.8\text{s}$ . This movement is due to the expansion of the barrier location and to the increasing Shavranov shift. For the later times, the radial region of the  $T_i$  barrier location is depicted by the vertical light grey bar. Inside that region  $T_i$  becomes progressively flat. Here,  $n_e$  and the impurity densities develop the strongest gradient. The radial region with increased gradient of the densities is given by a darker grey bar in Fig. 2. The impurity peaking increases with the impurity charge  $Z$  and is weakest for C and strongest for Ni. The central  $Z_{\text{eff}}$  is dominated by Ni and reaches a value of  $Z_{\text{eff}} = 3.5$  for  $t = 6.9\text{s}$ . In equilibrium, the radial gradient of the density  $n$  at radius  $r$  (impurity or electron density) depends on the ratio of the radial drift velocity  $v$ , the diffusion coefficient  $D$  at this radius and the source  $Q$  inside  $r$ .

$$\frac{1}{n^{eq}} \frac{dn^{eq}}{dr} = \frac{v}{D} - \frac{1}{Dn^{eq}r} \int_0^r Qrdr. \quad (2)$$

For the electron density profile, both terms have to be considered since there are central electron sources due to the neutral beam fueling. For the impurity densities, however, the source is located in the scrape of layer and the peaking of the impurity densities is given by the ratio  $v / D$ . Neo-classical transport parameters of standard neo-classical theory were numerically evaluated with STRAHL/NEOART [4,5]. For impurity I, the neo-classical diffusion coefficient  $D_{\text{neo}}^I$  and drift velocity  $v_{\text{neo}}^I$  have the form

$$D_{\text{neo}}^I = \sum_X \sum_J D_{IJ}^X \quad v_{\text{neo}}^I = \sum_X \sum_J (c_{IJ}^n \times \frac{1}{n_J} \frac{dn_J}{dr} + c_{IJ}^T \times \frac{1}{n_J} \frac{dT_J}{dr}), \quad (3)$$

where the summation over  $J$  includes all species  $J \neq I$  and the summation over  $X$  shall denote the classical, banana-plateau and Pfirsch-Schlüter contribution. The coefficients in  $v_{\text{neo}}$  are proportional

to the diffusion coefficient of each contribution times the impurity charge:  $c_{IJ}^X \propto D_{IJ}^X Z_I/Z_J$ . If the weight of the different contributions does not change too much with  $Z_I$ ,  $v_{neo}$  is almost proportional to  $Z_I D_{neo}$ . The density gradient terms in the equation for  $v_{neo}$  drive inwardly directed convective fluxes, while the temperature gradients yield outwardly directed drift velocities. In Fig.3a, the collision frequencies of Ni with D, C, Ne and Ni are shown for Pulse No: 51976 at  $t = 6.6$  s. The collisions of Ni with C and Ne are as frequent as the collisions with D and had to be considered in the neo-classical calculation. The required gradients of the densities and of  $T_i$  were taken from the experiment as shown in Fig.2, where the deuterium density follows from  $n_e$ , the impurity densities and quasi neutrality. Equal temperature of all ion species was assumed. In Fig.3b the calculated radial profile of  $v_{neo} / D_{neo}$  is depicted for C, Ne and Ni. Close to the axis ( $R \leq 3.35$ m) the poloidal field becomes very low, the orbits of trapped particles are very large and standard neo-classical theory may not be applied. In the region with weaker temperature gradient and pronounced electron peaking (dark grey bar in Fig.3b and 2), the neo-classical transport is strongly convective with inwardly directed (negative) drift velocities. The absolute value of  $v_{neo} / D_{neo}$  rises with  $Z$  as experimentally observed. In the region with the strong temperature gradient (light grey bar in Fig.3b and 2) the drift term is close to zero or becomes outwardly directed for the case of Ni. Thus the impurity behaviour can be understood in terms of neo-classical transport, where the drift velocities are governed by the ratio of the temperature to the density gradient. The calculated values of  $v_{neo}$  however, have a high uncertainty due to the uncertainty of all the gradients which enter into eq.(3) and the comparison is thus more qualitative.

### 3. LONG ITB DISCHARGES

In Fig.4 two reversed shear Pulses (No: 53521 in black, No: 53697 in grey) with long ITB phases are compared. The toroidal field is  $B_T = 3.4$ T. During the shown time interval, the plasma current has a constant value of  $I_p = 2$ MA for Pulse No: 53521 and  $I_p = 1.8$ MA for Pulse No: 53697 and in both discharges the plasma is heated with  $\approx 15$ MW of NBI and 3-4MW of RF. LHCD is applied throughout the discharges. The total neutron rate is in the range  $1.0$ - $1.4 \times 10^{16} \text{s}^{-1}$ . In Pulse No: 53521, the ITB in the ion channel is sustained for 27 confinement times [6]. The temperatures  $T_i$  and  $T_e$  and the Ni density  $n_{Ni}$  close to the plasma centre and at half radius are shown. Two horizontal interferometer channels (central, and half radius) give the evolution of the electron density profile.  $T_e$  and  $T_i$  are similar in both discharges with somewhat stronger gradients in Pulse No: 53521. The electron density, however, shows a pronounced difference and evolves a stronger peaking in Pulse No: 53521, where  $n_{Ni}$  becomes extremely peaked. The correlation between density peaking and Ni peaking can be understood in terms of neo-classical transport as discussed in the previous section. For Pulse No: 53521 at  $t \approx 10.7$ s, the accumulated Ni is the dominant  $Z_{eff}$  contributor with central  $Z_{eff} = 7$  and the dilution due to Ni is  $\Delta n_e / n_e = 20\%$ . The central SXR emission  $\epsilon_{SXR} = 0.6 \times 10^5 \text{ Wm}^{-3}$  (see Fig.1) corresponds to a calculated local radiation loss of  $\epsilon = 1.4 \times 10^5 \text{ Wm}^{-3}$ , which is about the central heating power density into the electrons. Thus, the loss of confinement

at  $t = 11.1\text{s}$ , which is very strong in the Ni channel, is probably a radiative collapse. MHD events, which lead to a sawtooth like signature of  $T_e$ , correlate with a decrease of the Ni peaking, which might become very strong as for Pulse No: 53697 at  $t = 10.1\text{s}$ , where the central radiation is too low to explain a radiative collapse. Here, a  $n = 1$ -mode is observed, followed by a decrease of central plasma rotation by  $\approx 30\%$ , central particle density is lost and the Ni profile becomes flat. Further investigation is needed for these phenomena. Carbon density profiles from CXRS peak only slightly stronger as  $n_e$  and the concentration of C stays almost constant resembling the same Z dependence of impurity transport as in Pulse No: 51976.

## CONCLUSION

In ITB discharges with reversed shear, metallic impurities accumulate in cases with too strong peaking of the density profile. The peaking increases with the impurity charge and is low for the low-Z elements C and Ne. This behaviour is in agreement with neo-classical convection.

## REFERENCES

- [1]. H.P.Summers, Jet-IR 06, Jet Joint Undertaking, Culham (1994).
- [2]. <http://xray.uu.se/hypertext/henke.html>.
- [3]. C.Chalis, et al, this conference.
- [4]. R.Dux, A.G.Peeters, et al., Nucl. Fusion **40** (2000) 1721.
- [5]. S.P.Hirshman, Sigmar, D.J., Nucl. Fusion **21** (1981) 1079.
- [6]. A.Becoulet, et al this conference.



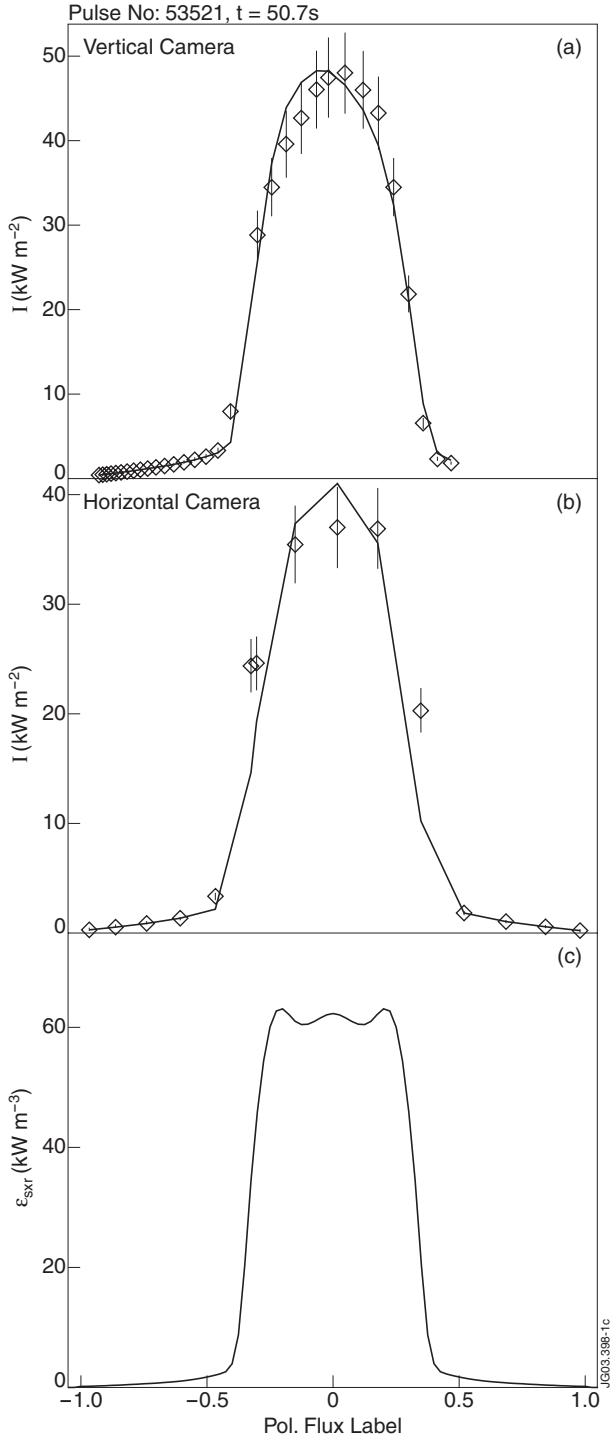


Figure 1: Measured radiation fluxes for two SXR cameras (a,b) and fitted local emissivity(c) for Pulse No: 53521 at  $t = 10.7s$ . Calculated radiation fluxes from the fit are shown as a solid line (a,b).

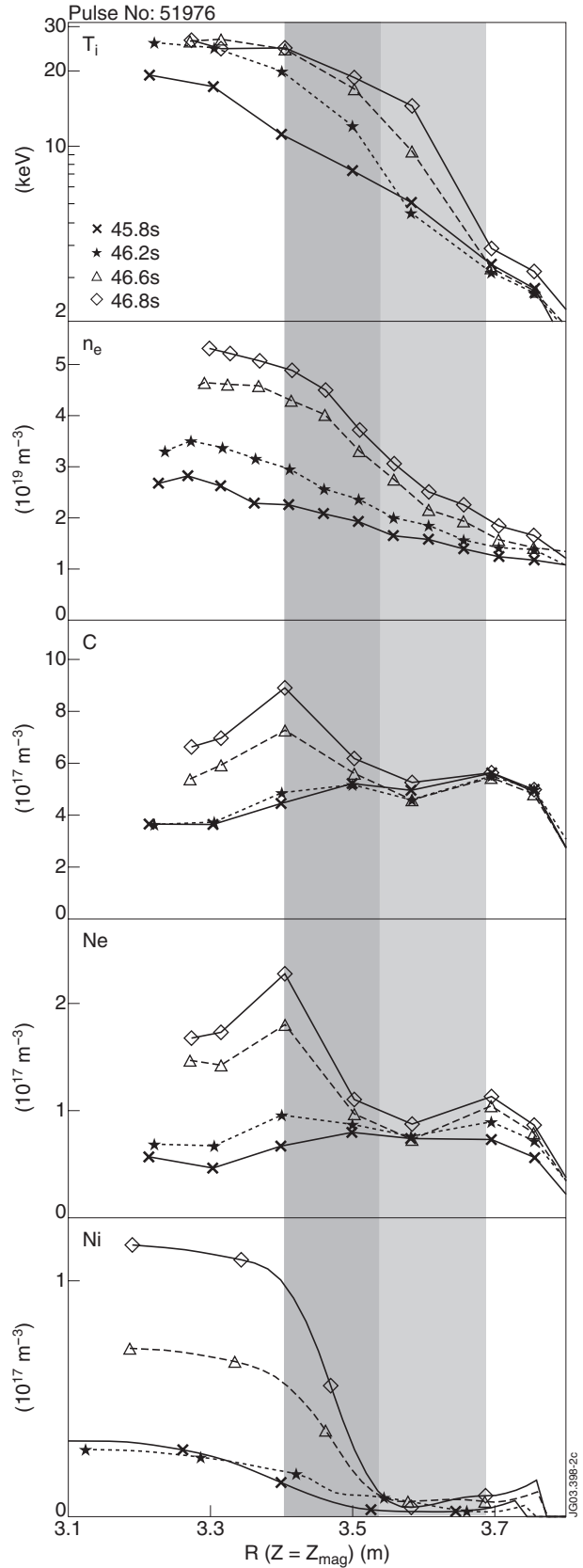


Figure 2: Evolution of the radial profiles of  $T_i$ ,  $n_e$ ,  $n_C$ ,  $n_{Ne}$  and  $n_{Ni}$  for the Pulse No: 51976.

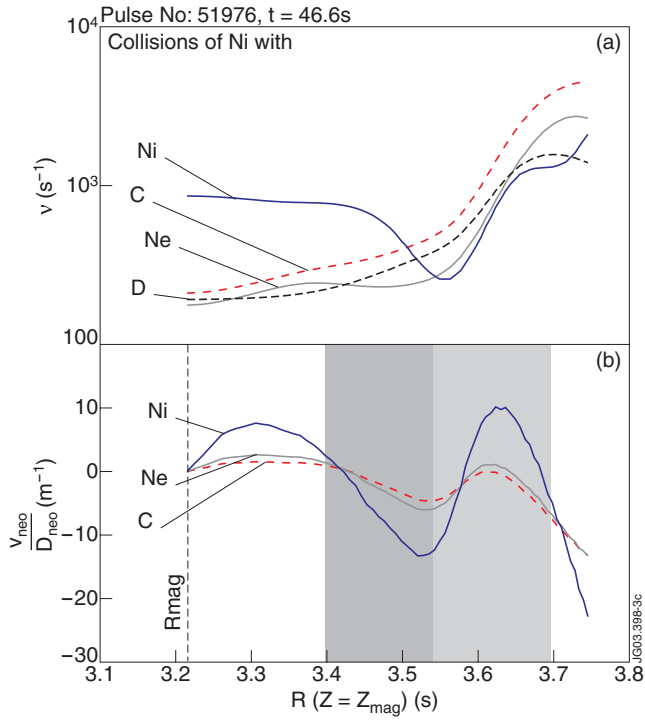


Figure 3: Radial profile for the collision frequencies of Ni and the ratio  $v_{neo}/D_{neo}$  for C, Ne and Ni in Pulse No: 51976 at  $t = 6.6s$ .

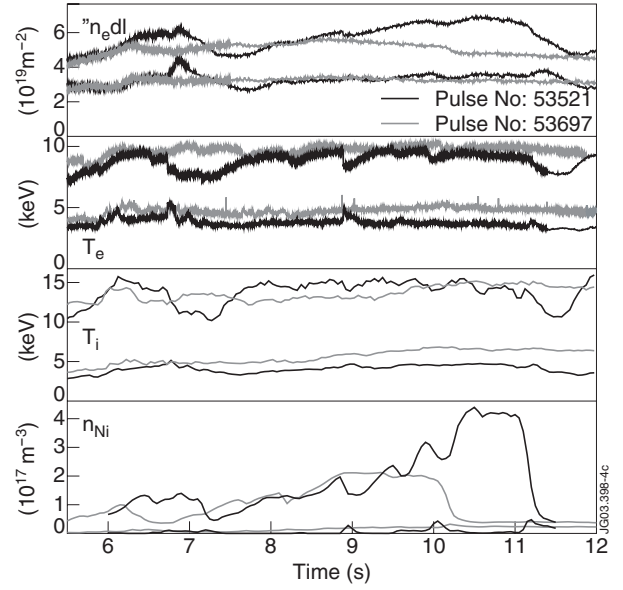


Figure 4: Time traces for  $\int n_e dl$ ,  $T_e$ ,  $T_i$  and  $n_{Ni}$  for two reversed shear Pulses No.s (53521 in black, 53697 in grey) with long ITB phases are compared.